

UNIT-II

a Consider the below finite automata and check the strings are accepted or not.

6M

L3

	States	Input Alphabtes	
	(Q)	0	1
	—>q0	q1	q3
	q1	q0	q2
	(q2)	q3	q1
	q3	q2	q0
(i)	1110 (ii) 0001 (i	ii) 1010

b Construct an equivalent FA for the given regular expression (0+1)*(00+11)(0+1)* L1 6M

0	P. (Code: 16CS517	R16	
×.		OR		
4	a	Explain how equivalence between two FA is verified with an example.	L2	6M
	b	List out the identities of Regular expression.	L2	6M
		i) 10+(1010)*[^+(1010)*]=10+(1010)*		
		ii)(0+011*)+(0+011*)(01+0100*)(01+0100*)*=01*(010*)*		
		UNIT-III		
5	a	Remove Left recursion from the grammar $S \rightarrow Sab/T$	L2	6M
		T→Tcd/F		
		F→Fa/G		
	b	Perform left factor from the grammar $A \rightarrow abB/aB/cdg/cdeB/cdfB$	L3	6M
		OR		
6	Si	mplify the following context free grammar. (Here, Λ stands for epsilon (ϵ)).	L4	12M
		S→TU V		
		T→aTb Λ		
		U→cU ∧		
		V→aVc W		
		W→bW ∧		
		UNIT-IV		
7	a	a Define Instantaneous description (ID) in PDA.		6M
	b	Explain about the graphical notation of PDA.	L2	6M
		OR		
8	a	Construct a PDA which recognizes all strings that contain equal number of	L2	6M
		0's and 1's.		
	b	A PDA is more powerful than a finite automaton. Justify this statement.	L2	6M
		UNIT-V		
9	a	Design a multi head Turing Machine for checking whether a binary string is a	L3	6M
		palindrome or not. Show the ID for 1001.		
	b	Explain conversion of regular Expression to TM with example.	L3	6M
		OR		
10	Сс	onstruct a Turing machine that recognizes the language L= {a ⁿ b ⁿ , n>1}. Show an ID	L2	12M
	fo	r thestring 'aabb' with tape symbols.		

*** END ***